From String Theory to the Standard Model

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From String Theory to the Standard Model, Minerva-Gentner Symposium, Berlin, October 2009 - p. 1/37

Questions

- What can we learn from strings for particle physics?
- Can we incorporate particle physics models within the framework of string theory?

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- Can we incorporate particle physics models within the framework of string theory?

Recent progress:

- explicit model building towards the MSSM
 - Heterotic brane world
 - Iocal grand unification
- moduli stabilization and Susy breakdown
 - gaugino condensation and uplifting
 - mirage mediation

The road to the Standard Model

What do we want?

- gauge group $SU(3) \times SU(2) \times U(1)$
- 3 families of quarks and leptons
- scalar Higgs doublet

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- gauge group $SU(3) \times SU(2) \times U(1)$
- 3 families of quarks and leptons
- scalar Higgs doublet
- But there might be more:
 - supersymmetry (SM extended to MSSM)
 - neutrino masses and mixings

as a hint for a large mass scale around 10^{16} GeV

Indirect evidence

Experimental findings suggest the existence of two new scales of physics beyond the standard model

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Neutrino-oscillations and "See-Saw Mechanism"

 $m_{
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m GUT}$ $m_{
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Indirect evidence

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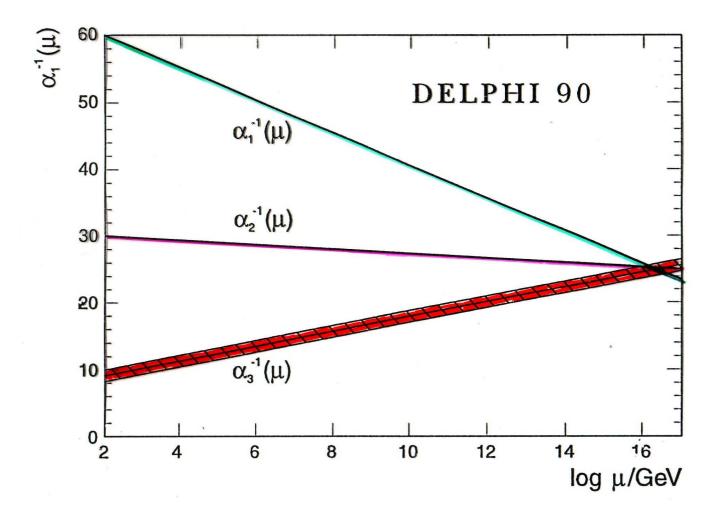
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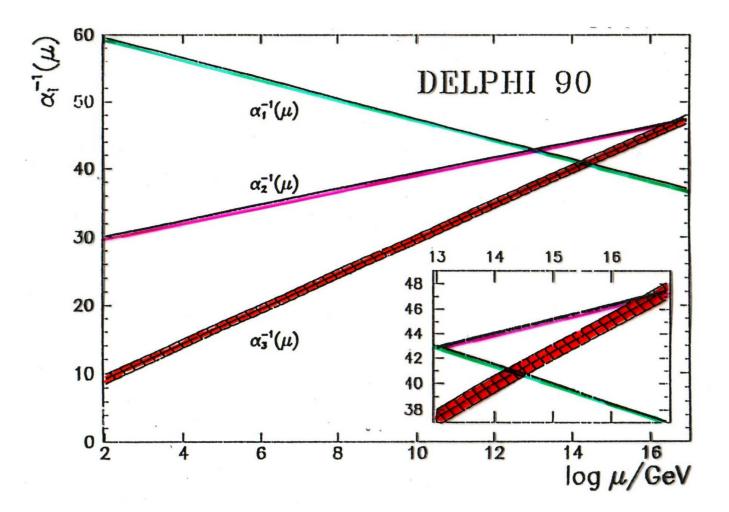
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Evolution of couplings constants of the standard model towards higher energies.

MSSM (supersymmetric)



Standard Model



Grand Unification

This leads to SUSY-GUTs with nice things like

- unified multiplets (e.g. spinors of SO(10))
- gauge coupling unification
- Yukawa unification
- neutrino see-saw mechanism

Grand Unification

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But there remain a few difficulties:

- breakdown of GUT group (large representations)
- doublet-triplet splitting problem (incomplete multiplets)
- proton stability (need for R-parity)

String Theory

What do we get from string theory?

- supersymmetry
- extra spatial dimensions
- Iarge unified gauge groups
- consistent theory of gravity

String Theory

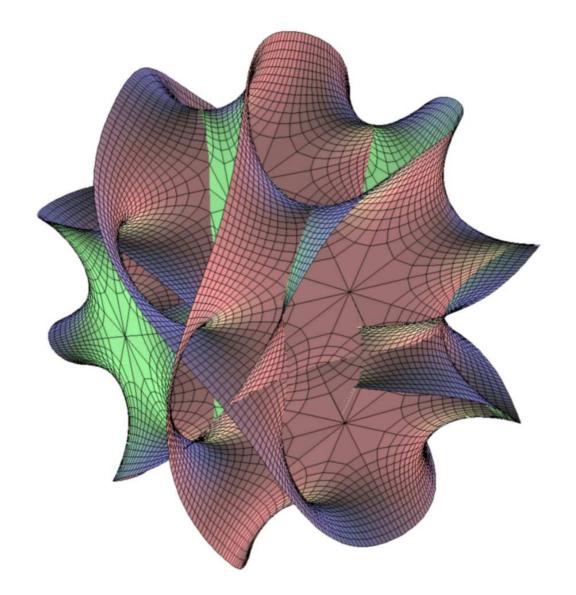
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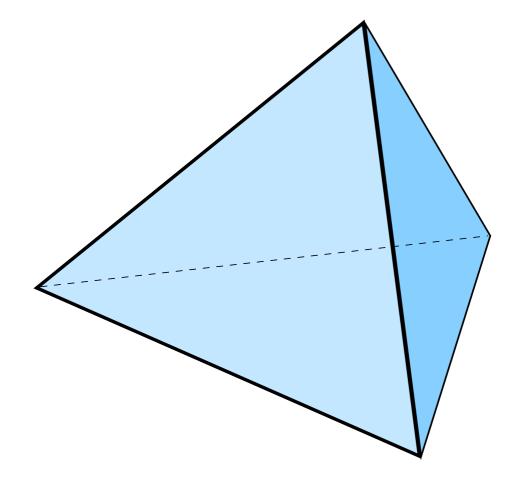
These are the building blocks for a unified theory of all the fundamental interactions. But do they fit together, and if yes how?

We need to understand the mechanism of compactification of the extra spatial dimensions

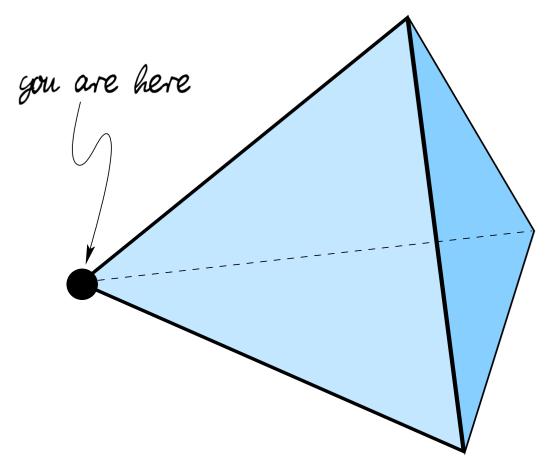
Calabi Yau Manifold



Orbifold



Where do we live?



Localization

Quarks, Leptons and Higgs fields can be localized:

- in the Bulk (d = 10 untwisted sector)
- on 3-Branes (d = 4 twisted sector fixed points)
- on 5-Branes (d = 6 twisted sector fixed tori)

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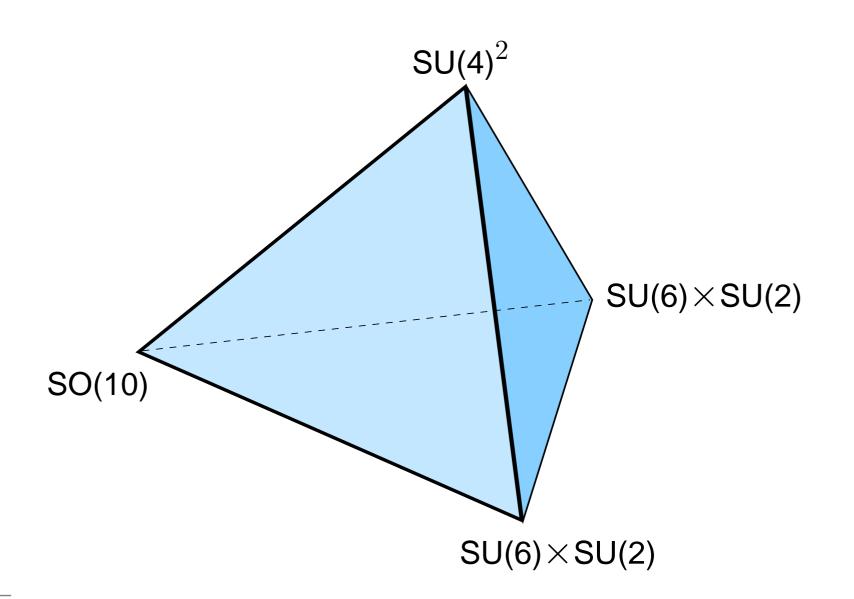
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but there is also a "localization" of gauge fields

- $E_8 \times E_8$ in the bulk
- smaller gauge groups on various branes

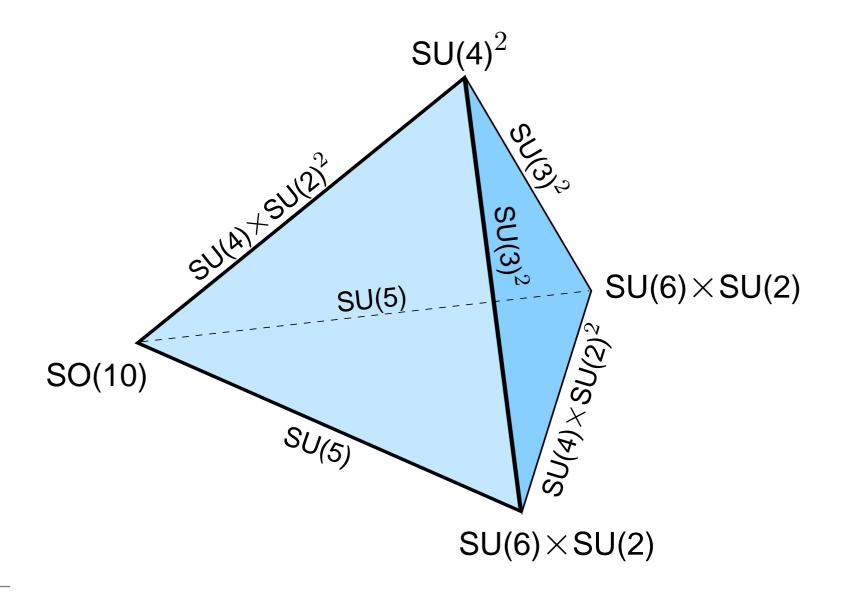
Observed 4-dimensional gauge group is common subroup of the various localized gauge groups!

Localized gauge symmetries



From String Theory to the Standard Model, Minerva-Gentner Symposium, Berlin, October 2009 – p. 13/37 (Förste, HPN, Vaudrevange, Wingerter, 2004)

Standard Model Gauge Group



From String Theory to the Standard Model, Minerva-Gentner Symposium, Berlin, October 2009 – p. 14/37 (Förste, HPN, Vaudrevange, Wingerter, 2004)

Local Grand Unification

In fact string theory gives us a variant of GUTs

- complete multiplets for fermion families
- split multiplets for gauge- and Higgs-bosons
- partial Yukawa unification

Local Grand Unification

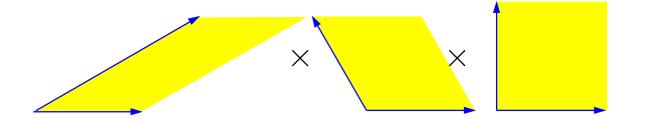
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Key properties of the theory depend on the geography of the fields in extra dimensions.

This geometrical set-up called local GUTs, can be realized in the framework of the "heterotic braneworld". (Förste, HPN, Vaudrevange, Wingerter, 2004; Buchmüller, Hamaguchi, Lebedev, Ratz, 2004)

The "fertile patch": Z_6 II orbifold



(Kobayashi, Raby, Zhang, 2004; Buchmüller, Hamaguchi, Lebedev, Ratz, 2004)

- provides fixed points and fixed tori
- allows SO(10) gauge group
- allows for localized 16-plets for 2 families
- \blacksquare SO(10) broken via Wilson lines
- nontrivial hidden sector gauge group

Selection Strategy

criterion	$V^{\mathrm{SO}(10),1}$	$V^{\mathrm{SO}(10),2}$
2 models with 2 Wilson lines	22,000	7,800
${}^{(3)}$ SM gauge group \subset SO(10)	3563	1163
④ 3 net families	1170	492
⑤ gauge coupling unification	528	234
6 no chiral exotics	128	90

(Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2006)

The road to the MSSM

This scenario leads to

- 200 models with the exact spectrum of the MSSM (absence of chiral exotics)
- Iocal grand unification (by construction)
- gauge- and (partial) Yukawa unification

(Raby, Wingerter, 2007)

examples of neutrino see-saw mechanism

(Buchmüller, Hamguchi, Lebedev, Ramos-Sanchez, Ratz, 2007)

• models with R-parity + solution to the μ -problem

(Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2007)

gaugino condensation and mirage mediation

(Löwen, HPN, 2008)

A Benchmark Model

At the orbifold point the gauge group is

$SU(3) \times SU(2) \times U(1)^9 \times SU(4) \times SU(2)$

- one U(1) is anomalous
- there are singlets and vectorlike exotics
- decoupling of exotics and breakdown of gauge group has been verified
- remaining gauge group

 $SU(3) \times SU(2) \times U(1)_Y \times SU(4)_{\text{hidden}}$

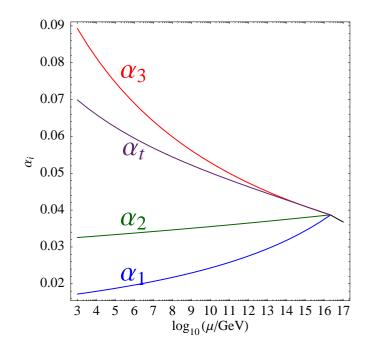
• for discussion of neutrinos and R-parity we keep also the $U(1)_{B-L}$ charges

Spectrum

#	irrep	label	#	irrep	label
3	$(3,2;1,1)_{(1/6,1/3)}$	q_i	3	$\left({\overline {f 3},{f 1};{f 1},{f 1}} ight)_{(-2/3,-1/3)}$	$ar{u}_i$
3	$({f 1},{f 1};{f 1},{f 1})_{(1,1)}$	$ar{e}_i$	8	$({f 1},{f 2};{f 1},{f 1})_{(0,*)}$	m_i
3 + 1	$\left(\overline{f 3},{f 1};{f 1},{f 1} ight)_{(1/3,-1/3)}$	$ar{d}_i$	1	$({f 3},{f 1};{f 1},{f 1})_{(-1/3,1/3)}$	d_i
3 + 1	$({f 1},{f 2};{f 1},{f 1})_{(-1/2,-1)}$	ℓ_i	1	$({f 1},{f 2};{f 1},{f 1})_{(1/2,1)}$	$ar{\ell}_i$
1	$({f 1,2;1,1})_{(-1/2,0)}$	h_d	1	$({f 1,2;1,1})_{(1/2,0)}$	h_u
6	$ig({f \overline{3}},{f 1};{f 1},{f 1}ig)_{(1/3,2/3)}$	$ar{\delta}_i$	6	$(3,1;1,1)_{(-1/3,-2/3)}$	δ_i
14	$({f 1},{f 1};{f 1},{f 1})_{(1/2,*)}$	s_i^+	14	$({f 1},{f 1};{f 1},{f 1})_{(-1/2,*)}$	s_i^-
16	$({f 1},{f 1};{f 1},{f 1})_{(0,1)}$	\bar{n}_i	13	$({f 1},{f 1};{f 1},{f 1})_{(0,-1)}$	n_i
5	$({f 1},{f 1};{f 1},{f 2})_{(0,1)}$	$ar\eta_i$	5	$({f 1},{f 1};{f 1},{f 2})_{(0,-1)}$	η_i
10	$({f 1},{f 1};{f 1},{f 2})_{(0,0)}$	h_i	2	$({f 1},{f 2};{f 1},{f 2})_{(0,0)}$	y_i
6	$({f 1},{f 1};{f 4},{f 1})_{(0,*)}$	f_i	6	$ig(1,1;\overline{4},1ig)_{(0,*)}$	$ar{f}_i$
2	$({f 1},{f 1};{f 4},{f 1})_{(-1/2,-1)}$	f_i^-	2	$ig(1,1;\overline{4},1ig)_{(1/2,1)}$	\bar{f}_i^+
4	$({f 1},{f 1};{f 1},{f 1})_{(0,\pm2)}$	χ_i	32	$({f 1},{f 1};{f 1},{f 1})_{(0,0)}$	s^0_i
2	$ig(\overline{f 3},{f 1};{f 1},{f 1}ig)_{(-1/6,2/3)}$	$ar{v}_i$	2	$(3,1;1,1)_{(1/6,-2/3)}$	v_i

Unification

- Higgs doublets are in untwisted (U3) sector
- trilinear coupling to the top-quark allowed



threshold corrections ("on third torus") allow unification at correct scale around 10¹⁶ GeV

(Hosteins, Kappl, Ratz, Schmidt-Hoberg, 2009)

See-saw neutrino masses

The see-saw mechanism requires

- right handed neutrinos (Y = 0 and $B L = \pm 1$),
- heavy Majorana neutrino masses $M_{\rm Majorana}$,
- Dirac neutrino masses M_{Dirac} .

The benchmark model has 49 right handed neutrinos:

- the left handed neutrino mass is $m_{\nu} \sim M_{\rm Dirac}^2/M_{\rm eff}$
- with $M_{\text{eff}} < M_{\text{Majorana}}$ and depends on the number of right handed neutrinos.

(Buchmüller, Hamguchi, Lebedev, Ramos-Sanchez, Ratz, 2007; Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2007)

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R-parity

- R-parity allows the distinction between Higgs bosons and sleptons
- SO(10) contains R-parity as a discrete subgroup of $U(1)_{B-L}$.
- ✓ in conventional "field theory GUTs" one needs large representations to break $U(1)_{B-L}$ (≥ 126 dimensional)
- in heterotic string models one has more candidates for R-parity (and generalizations thereof)
- one just needs singlets with an even B L charge that break $U(1)_{B-L}$ down to R-parity

(Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2007)

Discrete Symmetries

There are numerous discrete symmetries:

- from geometry
- and stringy selection rules,
- both of abelian and nonabelian nature

(Kobayashi, HPN, Plöger, Raby, Ratz, 2006)

The importance of these discrete symmetries cannot be underestimated. After all, besides the gauge symmetries this is what we get in string theory.

At low energies the discrete symmetries might appear as accidental continuous global U(1) symmetries.

Accidental Symmetries

Applications of discrete and accidental global symmetries:

(nonabelian) family symmetries (and FCNC)

(Ko, Kobayashi, Park, Raby, 2007)

- Yukawa textures (via Frogatt-Nielsen mechanism)
- **•** a solution to the μ -problem

(Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2007)

creation of hierarchies

(Kappl, HPN, Ramos-Sanchez, Ratz, Schmidt-Hoberg, Vaudrevange, 2008)

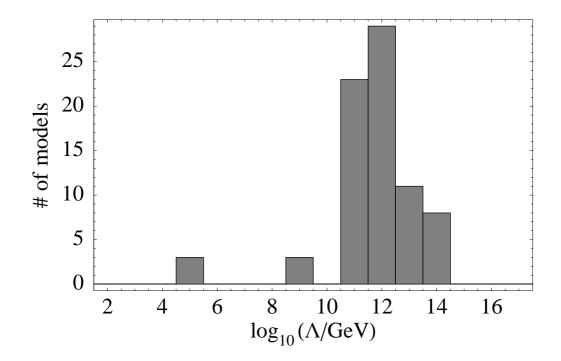
proton stability via "Proton Hexality"

(Dreiner, Luhn, Thormeier, 2005; Förste, HPN, Ramos-Sanchez, Vaudrevange, 2009)

• approximate global U(1) for a QCD accion

(Choi, Kim, Kim, 2006; Choi, HPN, Ramos-Sanchez, Vaudrevange, 2008)

Gaugino Condensation



Gravitino mass $m_{3/2} = \Lambda^3 / M_{\text{Planck}}^2$ and $\Lambda \sim \exp(-S)$ We need to fix the dilaton!

(Lebedev, HPN, Raby, Ramos-Sanchez, Ratz, Vaudrevange, Wingerter, 2006)

Dilaton (Modulus) Domination

This leads to a "gravity mediation" scenario,

but we still have to adjust the vacuum energy.

Here we need a "downlifting" mechanism:

"downlifting" mechanism can fix S as well (no need for nonperturbative corrections to the Kähler potential)

(Löwen, HPN, 2008)

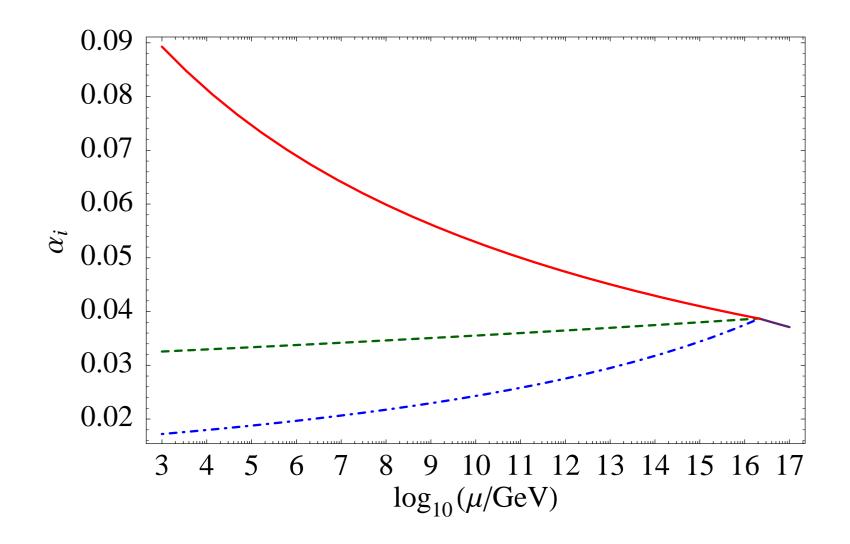
gives a suppression factor

 $\log(m_{3/2}/M_{\rm Planck})$

(Choi, Falkowski, HPN, Olechowski, 2005)

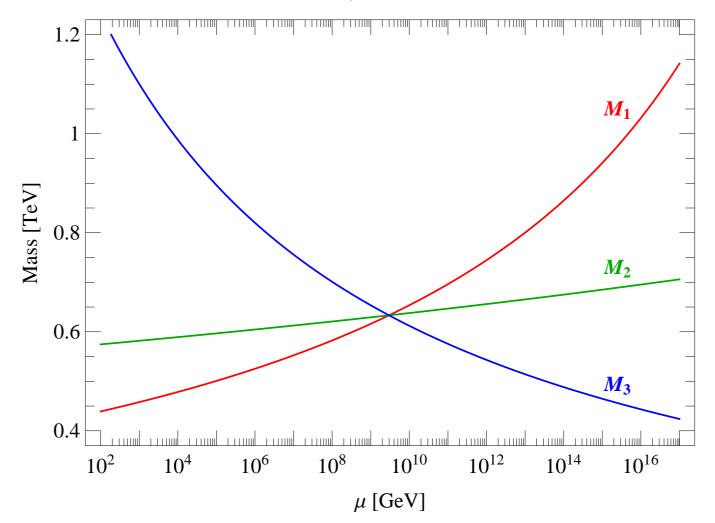
mirage mediation for gaugino masses

Evolution of couplings



Mirage Scale

 $\alpha = 1$ $m_{3/2} = 20 \text{ TeV}$ $\phi = 0$



The Gaugino Code

Mixed boundary conditions at the GUT scale characterized by the parameter α : the ratio of modulus to anomaly mediation.

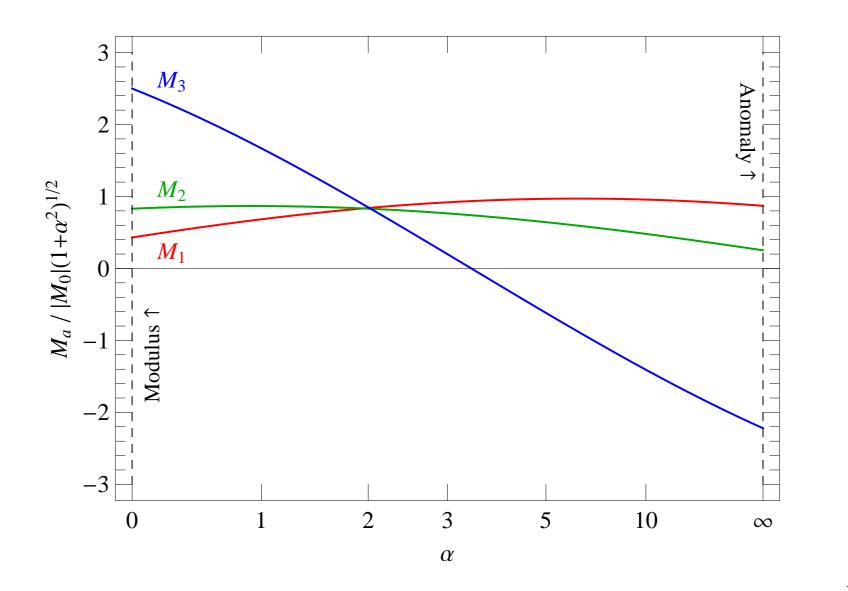
- $M_1: M_2: M_3 \simeq 1:2:6$ for $\alpha \simeq 0$
- $M_1: M_2: M_3 \simeq 1: 1.3: 2.5$ for $\alpha \simeq 1$
- $M_1: M_2: M_3 \simeq 1:1:1$ for $\alpha \simeq 2$
- $M_1: M_2: M_3 \simeq 3.3: 1:9$
- for $\alpha \simeq \infty$

The mirage scheme leads to

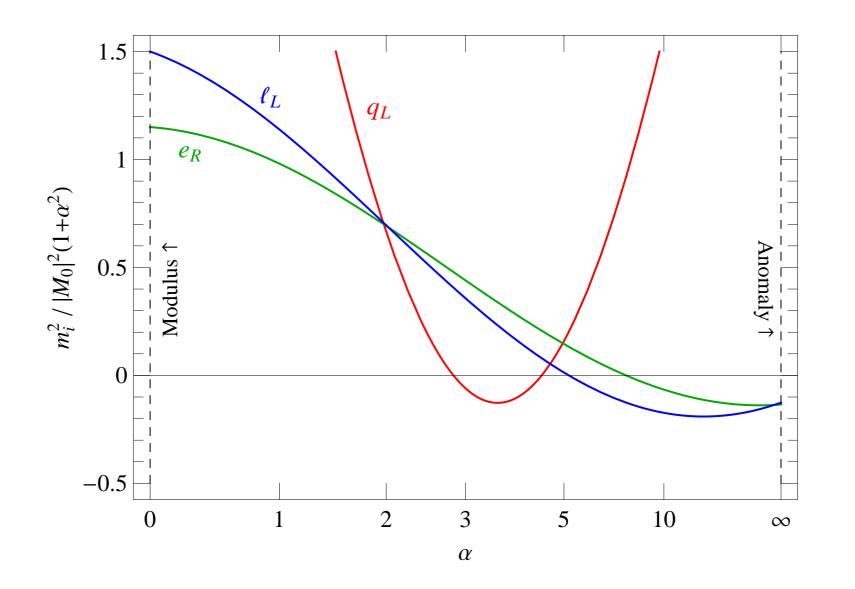
- LSP χ_1^0 predominantly Bino
- a "compact" gaugino mass pattern.

(Choi, HPN, 2007; Löwen, HPN, 2009)

Gaugino Masses

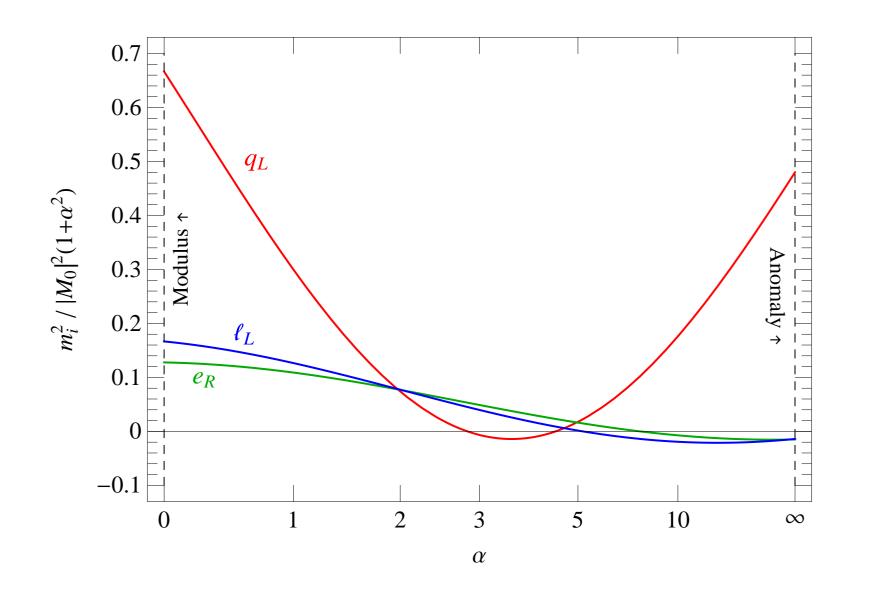


Scalar Masses

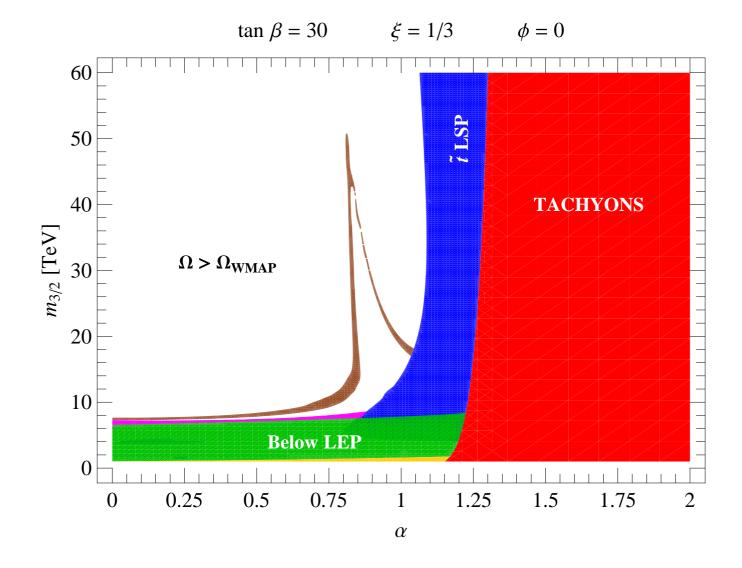


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Scalar Masses



Constraints on α



Conclusion

String theory provides us with new ideas for particle physics model building, leading to concepts such as

- MSSM via Local Grand Unification
- Accidental symmetries (of discrete origin)

Geography of extra dimensions plays a crucial role:

- Jocalization of fields on branes,
- sequestered sectors and mirage mediation

We seem to live at a special place in the extra dimensions! The LHC might clarify the case for (local) grand unification.

Where do we live?

